1. What's the probability of an impossible event?
2. If the digits in a set of accounting books follow the uniform probability distribution, what is the expected relative frequency of the 1 digit?
3. If you are working with a Normal distribution whose mean is 1000 and whose standard deviation is 100 , what is the probability (shown to 3 significant figures only) of choosing a value from this distribution at random that is 900 or less?
4. If you are working with a computed statistic that follows the chi-square distribution with 28 degrees of freedom, how would you compute the probability of getting a value of the chi-square that is equal to or larger than the observed $x$ of 6.062 by chance alone?
5. What Excel 2007/2010 function defines the area under the curve to the left of a given value of $z$, the standard normal deviate?
6. If you are working with a chi-square distribution with 8 degrees of freedom, what is the probability (shown to 4 decimal digits only) of choosing a value from this distribution at random that is 13.841 or more?
7. If you are working with a computed statistic that follows Student's-t distribution with 12 degrees of freedom, how would you compute the probability of getting a value of Student's$t$ that is equal to or larger than the observed $t$ of 19.2 by chance alone?
8. If you are working with a computed statistic that follows the F distribution with 12 and 8 degrees of freedom, how would you compute the probability of getting a value of the $F$ that is equal to or larger than the observed F of 11.2 by chance alone?
9. What's the probability of an absolutely certain event?
10. How do you compute the area under the curve to the right of a given value of $z$, the standard normal deviate, using EXCEL 2007/2010 functions?
11. What is the total in $\%$ of the area under an entire relative frequency distribution curve?
12. The line graph representing the cumulated frequencies in a frequency distribution is called $\mathrm{a}[\mathrm{n}]$ $\qquad$ —.
13. If you are working with a Normal distribution whose mean is 100 and whose standard deviation is 10 , how would you compute the probability of choosing a value from this distribution of 110 or less using EXCEL 2007/2010 functions?
14. What is the standard deviation of the standard Normal distribution?
15. If you toss a two-sided coin and call one side head and the other side tail, what is the probability that you will see a head on both of two fair tosses of that coin (i.e., the probability of seeing two heads in two tosses)?
16. For a uniform probability density function, which of the following statements is true?
17. If you create a histogram of all the data in a sample consisting of 218 measurements, what is the total of all the frequencies?
18. If you have 20 cookies in a bag and 13 of them are chocolate and 7 of them are vanilla (and they feel exactly the same to your fingers), what is the probability that you will get a chocolate cookie by reaching into the bag without looking and picking one at random?
19. If you are working with a computed statistic that follows Student's-t distribution with 25 degrees of freedom, how would you compute the probability of getting a value of Student's$t$ that is equal to or larger than the observed $t$ of 5.75 by chance alone?
20. The sum of the relative frequencies in $\%$ for all classes will always equal $\qquad$ -
21. What is the mean of the standard Normal distribution?
22. If you are working with a computed statistic that follows Student's-t distribution with 10 degrees of freedom, how would you compute the probability of getting a value of Student's$t$ that is less than or smaller than the observed $t$ of -2.04 by chance alone?
23. The uniform probability distribution can be used to test the randomness of $\qquad$ _.
24. If you toss a two-sided coin and call one side head and the other side tail, what is the
probability that you will see a head on a single fair toss of that coin?
25. A uniform probability distribution is a continuous probability distribution where the probability that the random variable assumes a value in any interval of equal length is $\qquad$ —.
26. If you are working with an $F$ distribution with 10 and 6 degrees of freedom, what is the probability (shown to 4 decimal digits only) of choosing a value from this distribution at random that is 5.341 or more?

## 0300

